

MedeA UNIFAC

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1 Key Benefits of *MedeA UNIFAC*

- Determination of geometric descriptors for organic molecules
- Evaluation of activity coefficients for binary mixtures based on Group contributions

2 Introduction

The UNIFAC method (UNIQUAC Functional-group Activity Coefficients) [1] is a group-contribution method for the prediction of activity coefficients in non-electrolyte liquid mixtures. UNIFAC uses the functional groups present in the molecules that make up the liquid mixture, to calculate the activity coefficients based on an extension of the quasi chemical theory of liquid mixtures (UNIQUAC). By using interactions for each of the functional groups present on the molecules, as well as some binary interaction coefficients, the activity of each of the solutions can be calculated. This information can be used to obtain information on liquid equilibria, which is useful in many thermodynamic calculations, such as chemical reactor design, and distillation calculations.

The UNIFAC model was first published in 1975 by Fredenslund, Jones and Prausnitz, a group of chemical engineering researchers from the University of California. Subsequently, they and other authors have published a wide range of UNIFAC papers, extending the capabilities of the model by the development of new or the revision of existing UNIFAC model parameters.

MedeA UNIFAC uses the original UNIFAC description and parameters, as published from 1975 to 2003 [1] [2], [3], [4], [5], [6], [7]. The method and the groups used are described in the rest of this section.

DOCUMENTATION

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^[1] A. Fredenslund, R. L. Jones, J. M. Prausnitz, *"Group-Contribution Estimation of Activity Coefficients in Nonideal Liquid Mixtures"*, AIChE Journal **21**, p. 1086 (1975)

^[2] S. Skjold-Jorgensen, B. Kolbe, J. Gmehling and P. Rasmussen, *"Vapor-Liquid Equilibria by UNIFAC Group Contribution. Revision and Extension"*, Ind. Eng. Chem. Process Des. Dev. **18**, p. 714, (1979)

^[3] J. Gmehling, P. Rasmussen and A. Fredenslund, *"Vapor=Liquid Equilibria by UNIFAC Group Contribution. Revision and Extension. 2"*, Ind. Eng. Chem. Process Des. Dev. **21**, p. 118 (1982)

^[4] E. A. Macedo, U. Weidlich, J. Gmehling and P. Rasmussen, *"Vapor-liquid equilibriums by UNIFAC group contribution. Revision and extension. 3"*, Ind. Eng. Chem. Process Des. Dev. **2**, p. 676 (1983)

^[5] D. Tiegs, J. Gmehling, P. Rasmussen, A. Fredenslund, *"Vapor-Liquid Equilibria by UNIFAC Group Contribution. 4. Revision and Extension"*, Ind. Eng. Chem. Res. **26**, p. 159 (1987)

^[6] H. K. Hansen, P. Rasmussen, A. Fredenslund, M. Schiller, J. Gmehling, *"Vapor-Liquid Equilibria by UNIFAC Group Contribution. 5. Revision and Extension"*, Ind. Eng. Chem. Res **30**, p. 2352 (1991

^[7] R. Wittig, J. Lohmann, J. Gmehling, *"Vapor-Liquid Equilibria by UNIFAC Group Contribution. 6. Revision and Extension"*, Ind. Eng. Chem. Res. **42**, p. 183 (2003)

3 Method

In a multicomponent mixture, the UNIQUAC equation for the activity coefficient of (molecular) component *i* is:

$$
\ln \gamma_i = \ln \gamma_i^C + \ln \gamma_i^R \tag{1}
$$

where

$$
\ln \gamma_i^C = \ln \frac{\Phi_i}{x_i} + \frac{z}{2} q_i \ln \frac{\theta_i}{\Phi_i} + l_i - \frac{\Phi_i}{x_i} \sum_j x_j l_j \tag{2}
$$

and

$$
\gamma_i^R = q_i \left[1 - \ln \sum_j \theta_j \tau_{ji} - \sum_j \left(\theta_j \tau_{ij} / \sum_k \theta_k \tau_{kj} \right) \right]
$$

$$
l_i = \frac{z}{2} (r_i - q_i) - (r_i - 1) \quad ; \quad z = 10
$$

$$
\theta_i = \frac{q_i x_i}{\sum_j q_j x_j} \quad ; \quad \Phi_i = \frac{r_i x_i}{\sum_j r_j x_j}
$$

$$
\tau_{ji} = \exp \left[\frac{u_{ij} - u_{ii}}{RT} \right]
$$
 (3)

where x_i is the mole fraction of component *i*, and the summations in equations [\(2\)](#page-1-1) and [\(3\)](#page-1-2) are over all components, including component *i*; θ_i is the area fraction, and Φ_i is the segment fraction which is similar to the volume fraction. Pure component parameters r_i and q_i are, respectively, measures of molecular van der Waals volumes and molecular surface areas.

Parameters r_i and q_i are calculated as the sum of the group volume and area parameters R_k and Q_k , given in table [Table](#page-2-1) [1:](#page-2-1)

$$
r_i = \sum_k \nu_k^i R_k \quad and \quad q_i = \sum_k \nu_k^i Q_k \tag{4}
$$

where ν^i_k , always an integer, is the number of groups of type k in molecule *i*.

The residual part of the activity coefficient, Eq. [\(3\)](#page-1-2), is replaced by the solution-of-groups concept. Instead of [\(3\)](#page-1-2), we write:

$$
\ln \gamma_i^R = \sum_k \nu_k^{(i)} [\ln \Gamma_k - \ln \Gamma_k^{(i)}] \tag{5}
$$

where Γ_k is the group residual activity coefficient, and $\Gamma_k^{(i)}$ $\binom{v}{k}$ is the residual activity coefficient of group k in a reference solution containing only molecules of type *i*.

Note: In Eq. [\(5\)](#page-1-3) the term $\ln\Gamma_k^{(i)}$ is necessary to attain the normalization that activity coefficient γ_i becomes unity as $x_i \rightarrow 1$.

The group activity coefficient Γ_k is found from an expression similar to Eq. [\(3\)](#page-1-2):

$$
\ln \Gamma_k = Q_k \left[1 - \ln \sum_m \Theta_m \Psi_{mk} - \sum_m (\Theta_m \Psi_{km} / \sum_n \Theta_n \Psi_{nm}) \right]
$$
(6)

Eq. [\(6\)](#page-1-4) also holds for $\ln\Gamma_k^{(i)}$. In Eq. [\(5\)](#page-1-3), Θ_m is the area fraction of group m, and the sums are overl all different groups. Θ_m is calculated in a manner similar to that for θ_i :

$$
\Theta_m = \frac{Q_m X_m}{\sum_n Q_n X_n} \tag{7}
$$

where X_m is the mole fraction of group m in the mixture.

The group interaction parameter Φ_{mn} is given by:

$$
\Psi_{mn} = \exp - \left[\frac{U_{mn} - U_{nn}}{RT} \right] = exp - (\alpha_{mn}/T) \tag{8}
$$

where U_{mn} is a measure of the energy of interaction between groups m and n . The group-interaction parameters α_{mn} (two parameters per binary mixture of groups) are the parameters that have been evaluated from experimental phase equilibrium data.

Note: α_{mn} has units of degrees Kelvin and $\alpha_{mn} \neq \alpha_{nm}$.

The UNIQUAC model also serves as the basis of the development of the group contribution method UNIFAC, where molecules are subdivided into functional groups. In fact, UNIQUAC is equal to UNIFAC for mixtures of molecules, which are not subdivided; e.g. the binary systems water-methanol, methanol-acryonitrile and formaldehyde-DMF.

4 UNIFAC groups

Table1: Groups and subgrous used in *MedeA UNIFAC*

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Table 1 – continued from previous page

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5 Activity coefficients calculation

MedeA UNIFAC is an interactive tool, providing an easy and quick calculation of activity coefficients of binary mixtures.

The *UNIFAC* GUI can be accessed through Tools >> UNIFAC. The two components can be added directly from *MedeA* or from a saved file and the activity coefficients are calculated for the binary mixture at either constant temperature or constant composition.

At constant temperature, a range of compositions can be explored, providing the lower and upper limits of the composition range (in molar fraction) and the composition increment.

At constant composition, a range of temperatures can be explored, providing the lower and upper limits of the temperature range (in Kelvin, Celsius or Fahrenheit) and the temperature increment.

The output comprises:

- a table with data for temperature, composition and activity coefficients
- *csv* and/or *txt* formated output of the table

• a graph that can be viewed from within *MedeA*

For example, at a constant temperature, for a mixture of water and ethanol the *MedeA UNIFAC* GUI reports the table with all data on activity coefficients:

A graph is available, showing the activity coefficients as a function of the molecular fraction:

